

Theoretical cosmology/astrophysics

Alexander Heger: Stellar evolution, nucleosynthesis,
first stars

Keith Olive: Nucleosynthesis, Supersymmetry
(Dark matter), Inflation, first stars

Yong-Zhong Qian: Nucleosynthesis, supernovae neutrinos,
first stars

Lilya Williams: Distribution of dark matter,
structure formation, gravitational lensing

Observational cosmology/astrophysics

Prisca Cushman: Dark matter detection

Shaul Hanany: CMB

Vuk Mandic: Gravitational waves (LIGO)

It is remarkable how well we know the evolution of the universe. **Homogeneity** and **isotropy** + **GR** give

Physical distances $\propto a(t)$

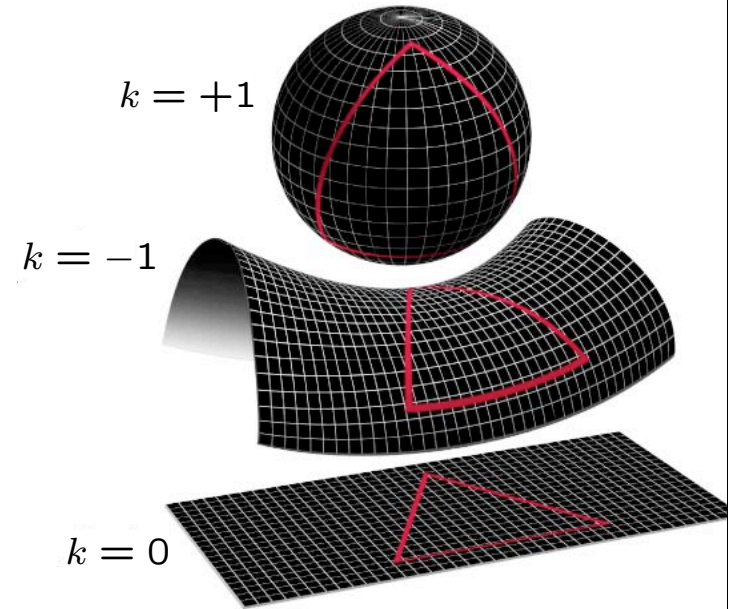
$$H^2 \equiv \frac{\dot{a}^2}{a^2} = \frac{8\pi}{3M_p^2} \rho - \frac{k}{a^2}$$

$$\rho = \frac{\rho_R}{a^4} + \frac{\rho_M}{a^3} + \rho_\Lambda$$

Big-Bang Nucleosynthesis
1 sec - 3 min

Structure formation
galaxies, clusters

Present acceleration
 $a_{\text{acc}} \simeq 0.5 a_0$



What is even more remarkable is the fact that the universe is so homogeneous and isotropic

Guth '81

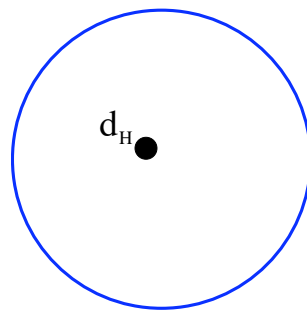
Horizon problem

- Light travels finite distance in finite time

Scales $> d_H(t)$ cannot be causally connected

$$d_H(t) = a(t) \int_0^t \frac{dt'}{a(t')} \sim H^{-1}$$

In a matter + radiation universe, **horizon** $\propto H^{-1}$ grows faster than **physical scales** $\propto a$

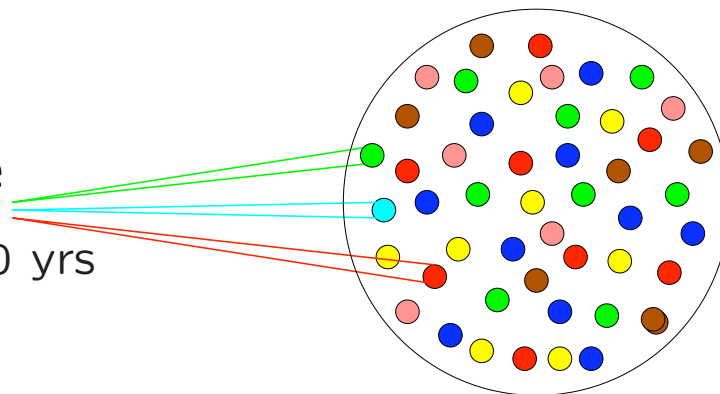


Same region at earlier times



Earlier time

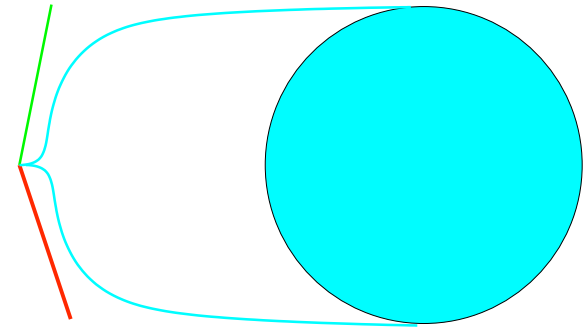
$t_{\text{CMB}} \simeq 380,000$ yrs



Sharp contrast with the observed $T_0 \simeq 2.73\text{K}$ everywhere

Solved if which physical scales (a) grow faster than horizon (a/\dot{a})

Need $\ddot{a} > 0$, acceleration \equiv inflation



Flatness problem

$$\frac{\dot{a}^2}{a^2} = \frac{8\pi}{3M_p^2} \left[\frac{\rho_M}{a^3} + \frac{\rho_R}{a^4} \right] - \frac{k}{a^2} + \frac{\rho_X}{a^\gamma}$$

Curvature $\leq 1\%$ today. Must have been $\leq 10^{-18}$ at BBN.

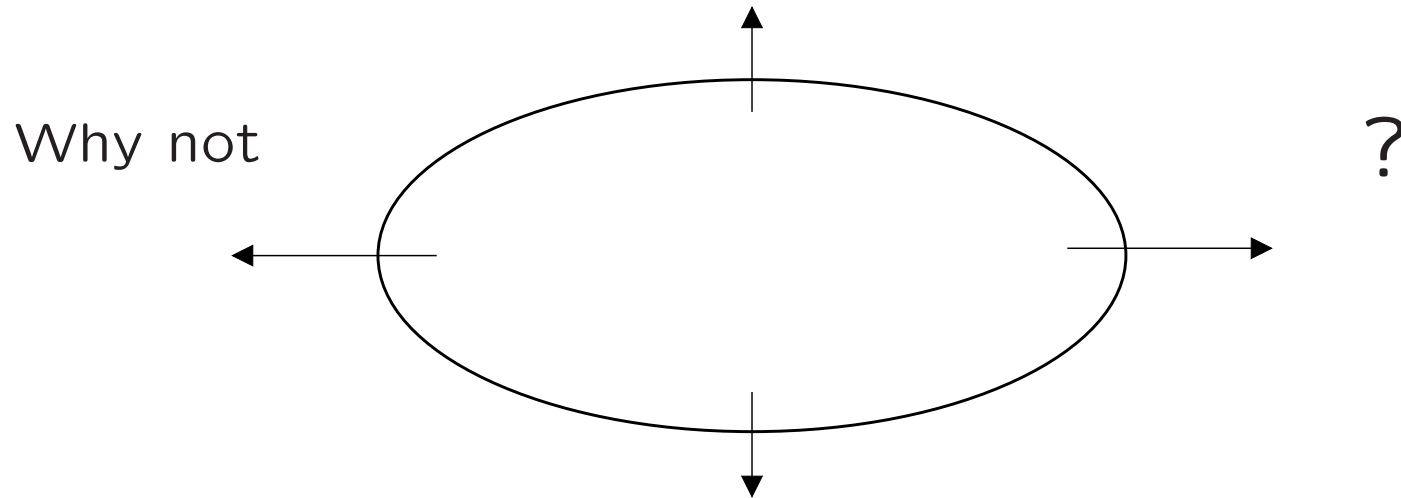
Requires ρ_X which “flattens the universe” at earlier times.

Idea: ρ_X dominates at very early times; then, it decays into matter / radiation. To dominate over curvature, $\gamma < 2$

But $\gamma < 2$ leads to increasing $\dot{a} \Rightarrow$ inflation

Isotropy problem

Why identical expansion rates ($H = \dot{a}/a$) in all directions ?

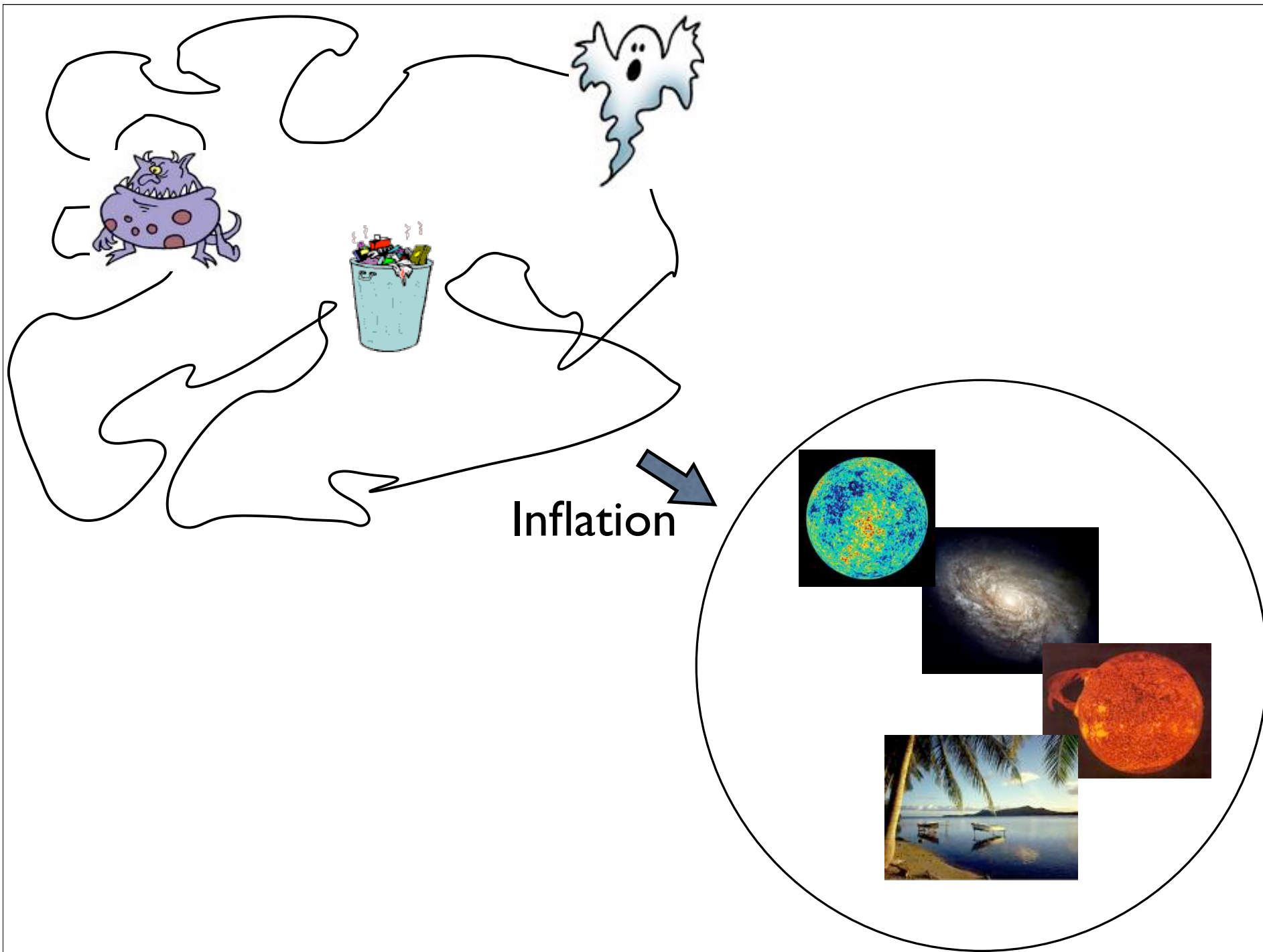


Imagine universe started out not perfectly isotropic

non accelerated expansion \Rightarrow anisotropy grows

accelerated expansion \Rightarrow anisotropy $\rightarrow 0$

Homogeneity, gravitino, monopole, ... problems



Inflation \equiv accelerated expansion, $\ddot{a} > 0$

Einstein eqs.: $\frac{\ddot{a}}{a} = -\frac{4\pi G}{3}(\rho + 3p)$

Need $w \equiv \frac{p}{\rho} < -\frac{1}{3}$

pressure
energy density

Won't work for matter ($w = 0$) or radiation ($w = 1/3$)

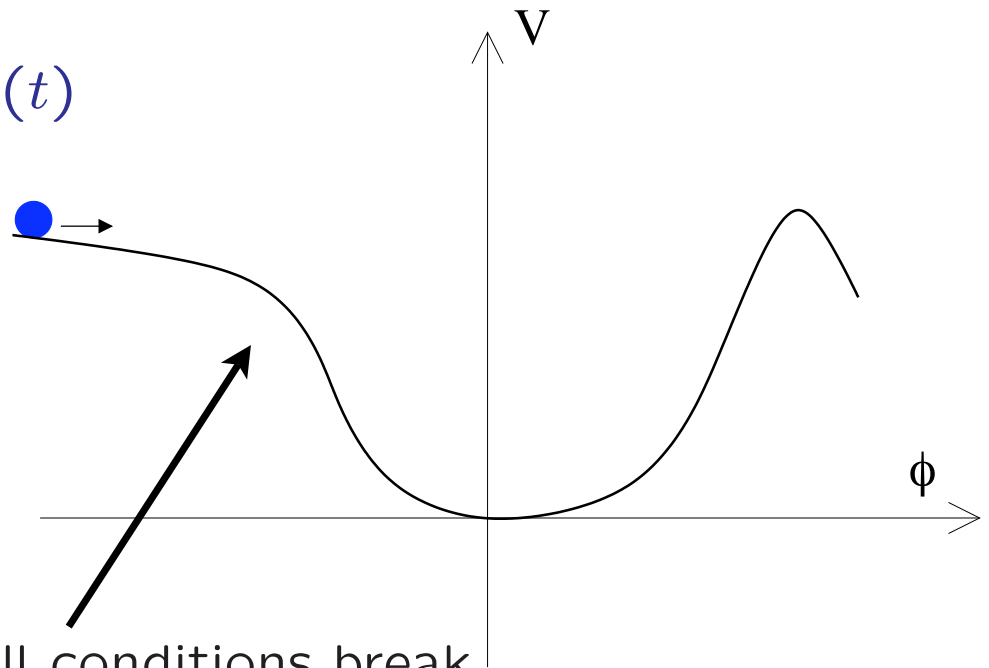
Homogeneous scalar field $\phi(t)$

in potential V

$$w = \frac{\dot{\phi}^2/2 - V}{\dot{\phi}^2/2 + V}$$

$w \simeq -1$ if $\dot{\phi}^2 \ll V$ Slow roll

Inflation terminates when slow roll conditions break



Inflaton (quantum) perturbations



cosmological perturbations

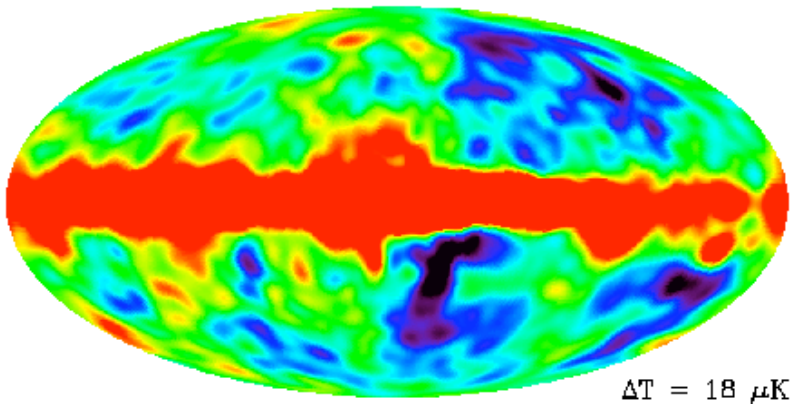
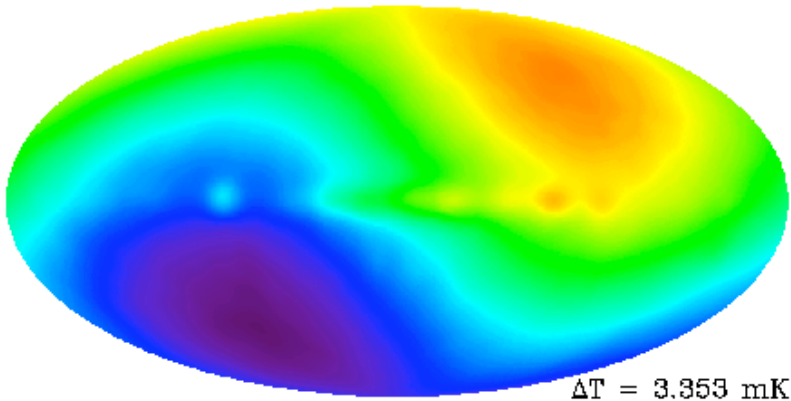
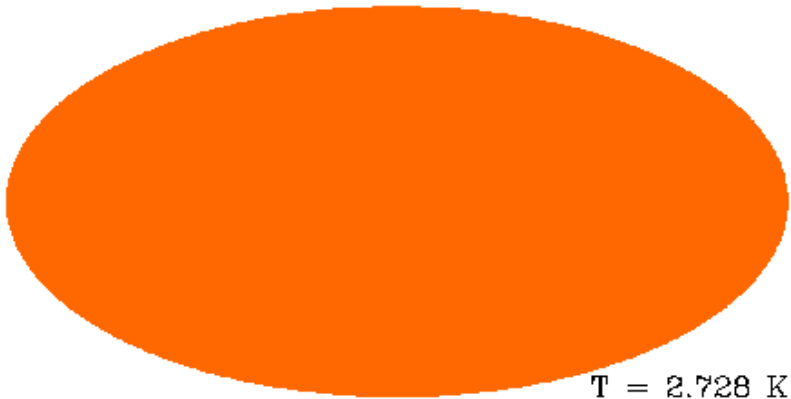
$$\frac{\delta\rho}{\rho} \sim \frac{\Delta T}{T} \sim 10^{-5}$$

We don't know $V(\phi)$

$$\text{If } V = V_0 + \frac{1}{2}m^2\phi^2 + \dots$$

correct amplitude fluctuations

$$\text{for } m \sim 10^{13} \text{ GeV}/c^2$$





Unknowns:

Scale of inflation

Inflaton ϕ

Coupling to matter

Require:

$T > \text{MeV}$, for Nucleosynthesis

No gravitinos, $T < 10^9 \text{ GeV}$

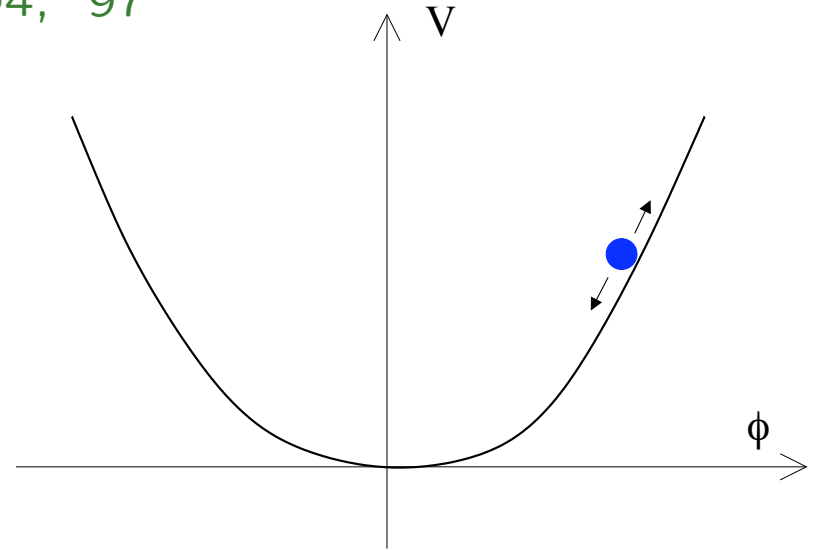
Matter / anti-matter asymmetry

- 1 “Slow” (perturbative) decay; quick thermalization
- 2 Fast decay, slow (?) thermalization

Nonperturbative inflaton decay

Preheating: Kofman, Linde, Starobinsky '94; '97

Resonant particle production due to coherent inflaton oscillations



$$V = \frac{1}{2}m^2\phi^2 + \frac{g^2}{2}\phi^2\chi^2 \Rightarrow \omega_\chi^2 = (k/a)^2 + g^2\phi(t)^2$$

- Excitation when $\omega'_\chi > \omega_\chi^2$
- Periodic “driving force” \rightarrow resonant instability bands

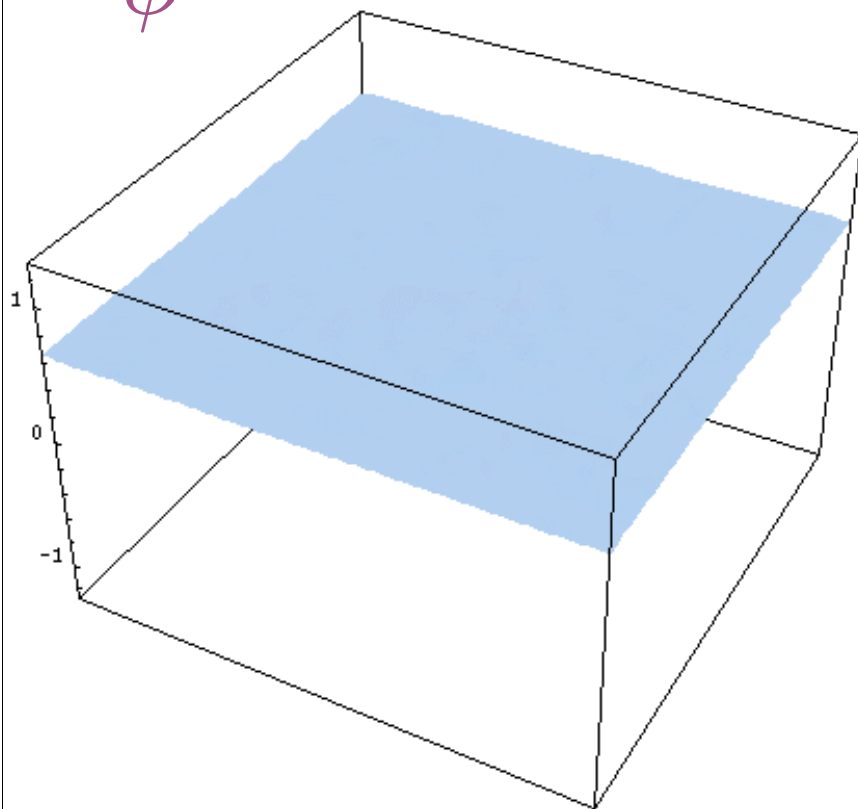
Strong instability for

$$g^2 \gtrsim \frac{m^2}{\phi^2} \sim 10^{-10}$$

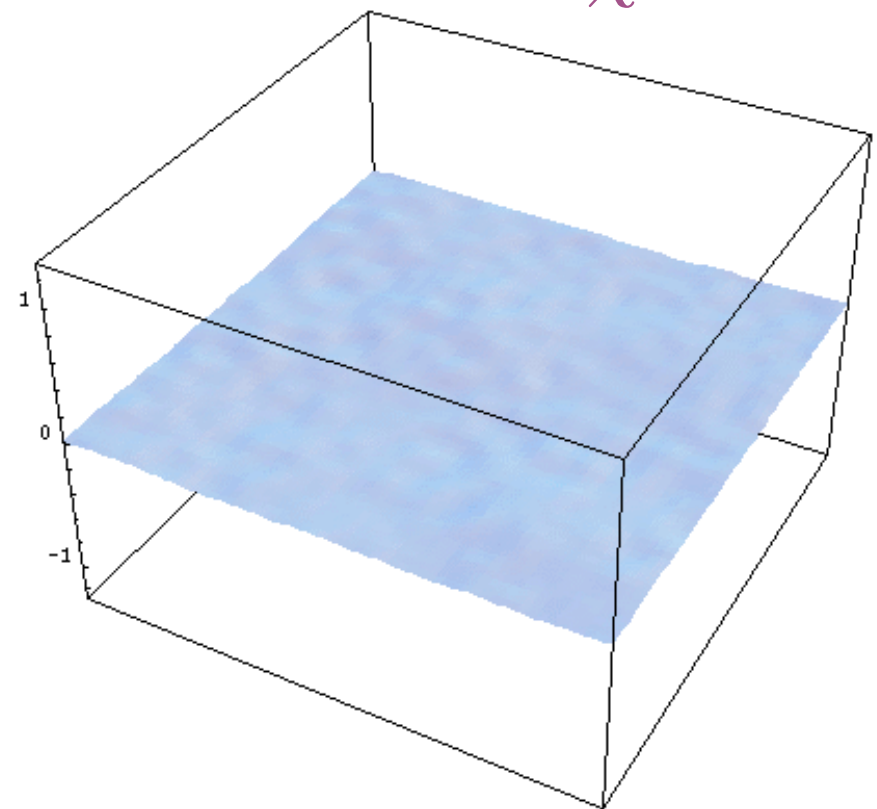
$$V = \frac{1}{2}m^2\phi^2 + \frac{g^2}{2}\phi^2\chi^2$$

slices for t=95.2019

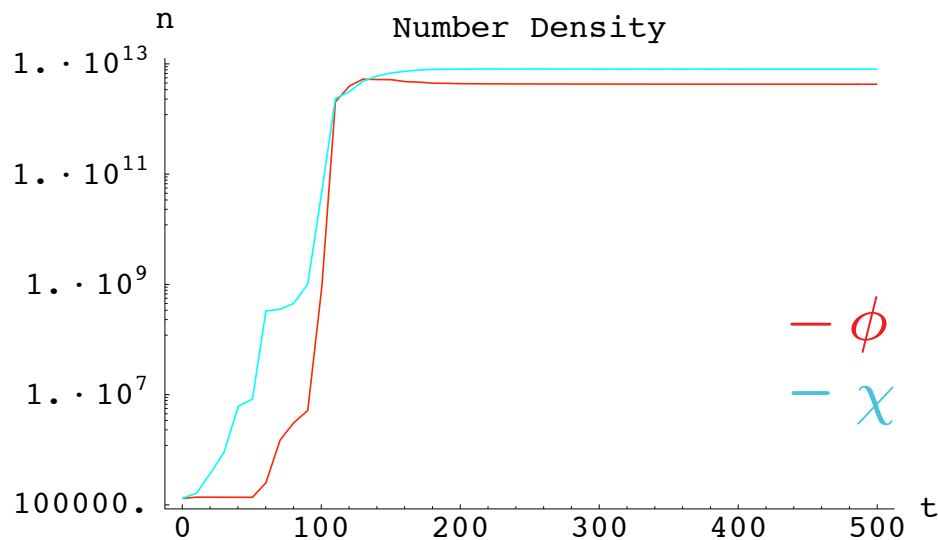
ϕ



χ



G. Felder, I. Tkachev

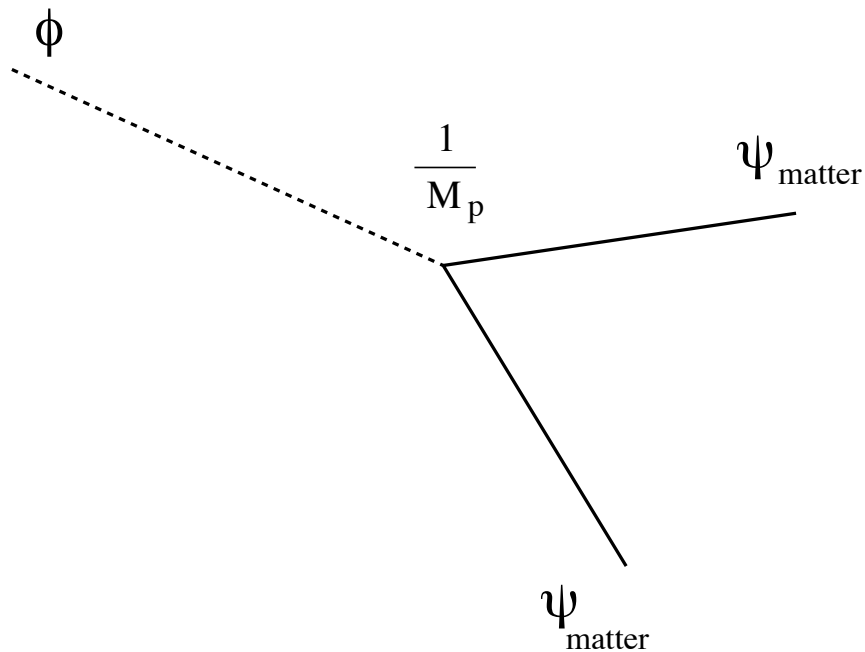
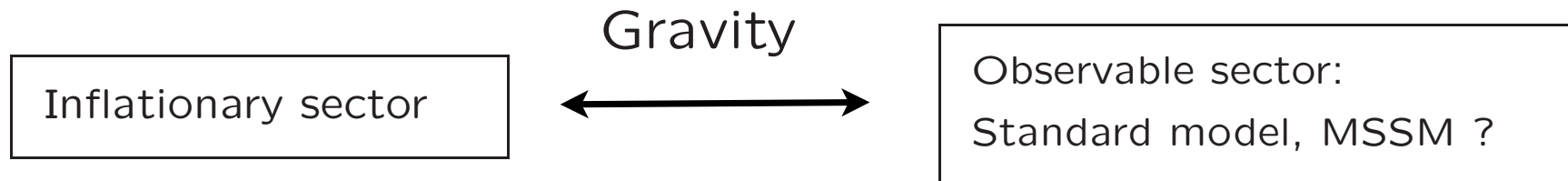


(1) **Preheating:** Stimulated particle production

(2) **Rescattering:** Produced quanta scatter against the zero mode of ϕ
Destroys coherence & terminates production. Classical lattice simulations

(3) **Thermalization:** Very slow evolution towards thermal equilibrium
 $k_* \simeq 10 m_\phi \ll N^{1/3} \Rightarrow$ **particle fusion**. Kolmogorov turbulence

Weakest possible coupling



$$\Gamma \simeq \frac{m_\phi^3}{M_p^2}$$

$$\tau = \frac{h}{\Gamma c^2} \sim 10^{-25} \text{ s}$$

Instantaneous thermalization of the decay products

SUSY flat directions

Many scalar fields (one per particle). Complicated potential

Flat directions: E.g. $V = m_1^2 \psi_1^2 + m_2^2 \psi_2^2 + (\psi_1 - \psi_2)^4$

$\nwarrow \quad \nearrow$
 $10^2 - 10^3 \text{ GeV}$

$\nwarrow \quad \nearrow$
 $M_{\text{GUT}} - M_p$

- **Low cost:** We expect them to be excited during inflation
- ψ 's carry baryon number. Baryogenesis, Affleck, Dine '85

How do particles get mass ? $g H \bar{t} t$, $\langle H \rangle \sim 250 \text{ GeV}$

- Now $m \sim \langle \psi \rangle \sim 10^{15} - 10^{19} \text{ GeV}$. Slows down thermalization

Allahverdi, Mazumdar '05

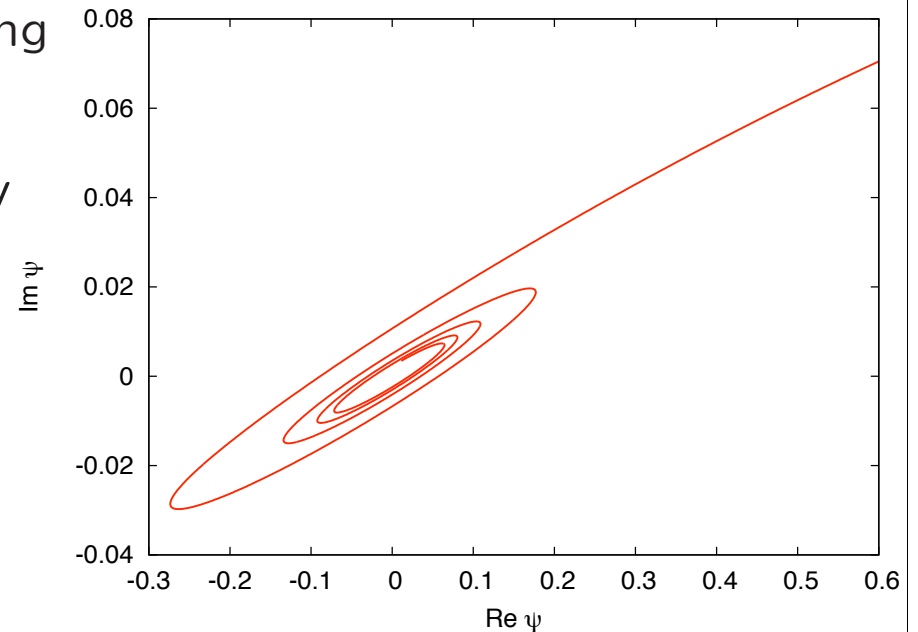
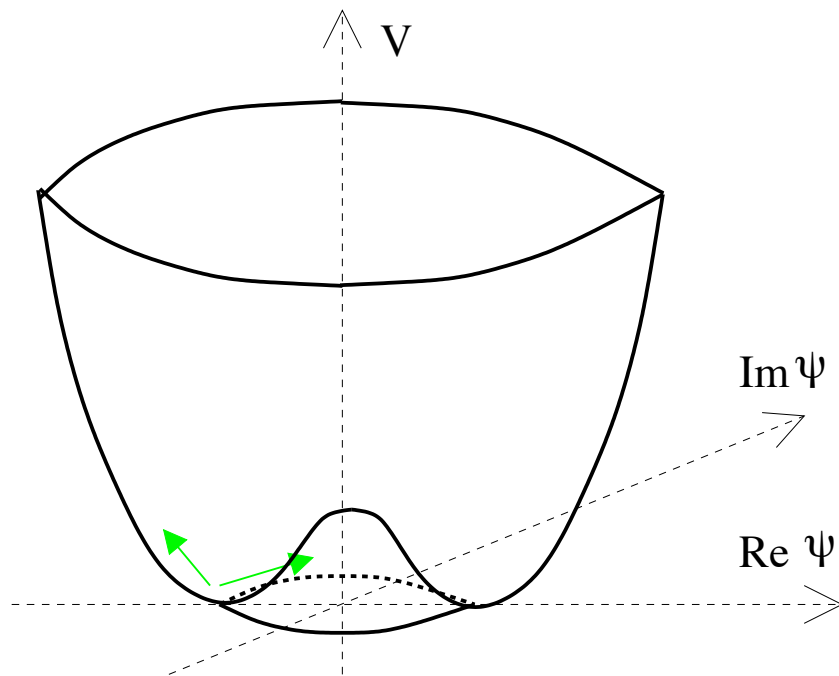
Complex: rotations with slowly decreasing amplitude (expansion)

$N_{\text{rot}} \sim 10^{11}$ before perturbative decay

Nonperturbative effects ?

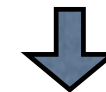
Expand $\psi(t) + \delta\psi$

Fields on a t -evolving background



(Nearly) constant eigenmasses

Quick variation of eigenstates



Decay in $N_{\text{rot}} \sim 10$

Olive, MP '06

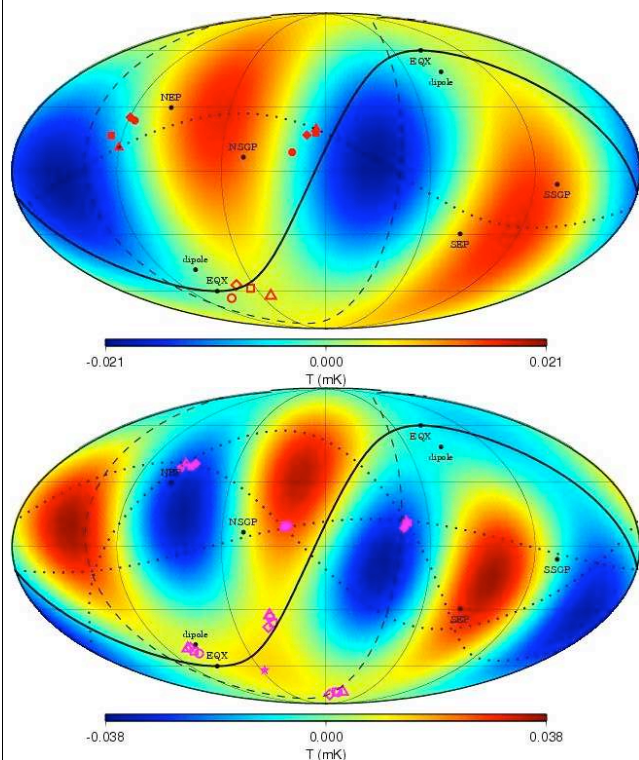
Gumrukcuoglu, Olive, MP, Sexton

North-south asymmetry

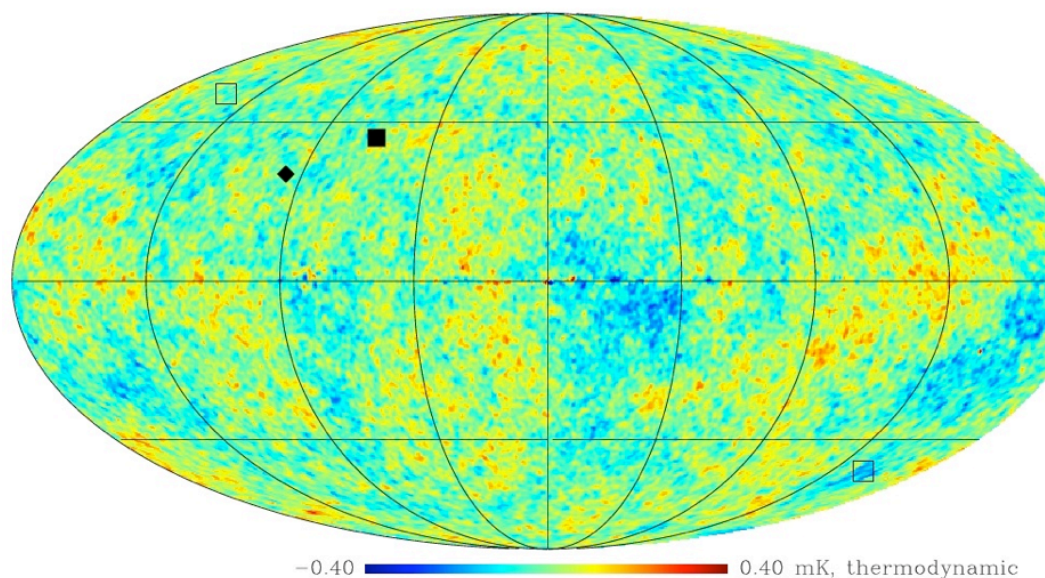
$S > N$ for $l = 5 - 40$ (~ 1 in 100)

Eriksen et al. '04, '07

$$\theta = 180^\circ / l$$



WMAP 3yr ILC



Quadrupole-octupole

planarity & alignment (~ 1 in 50)

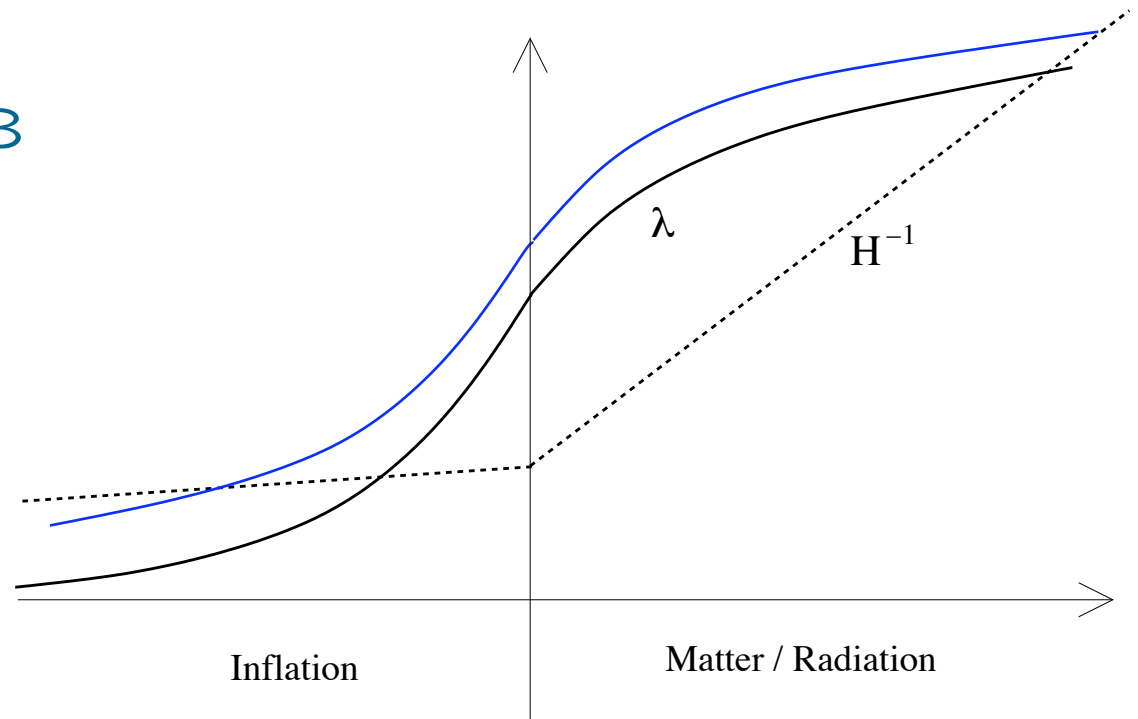
de Oliveira-Costa et al. '03 ; ... ; Copi et al. '06

alignm. for $l = 2 - 5$ (~ 1 in 1000)

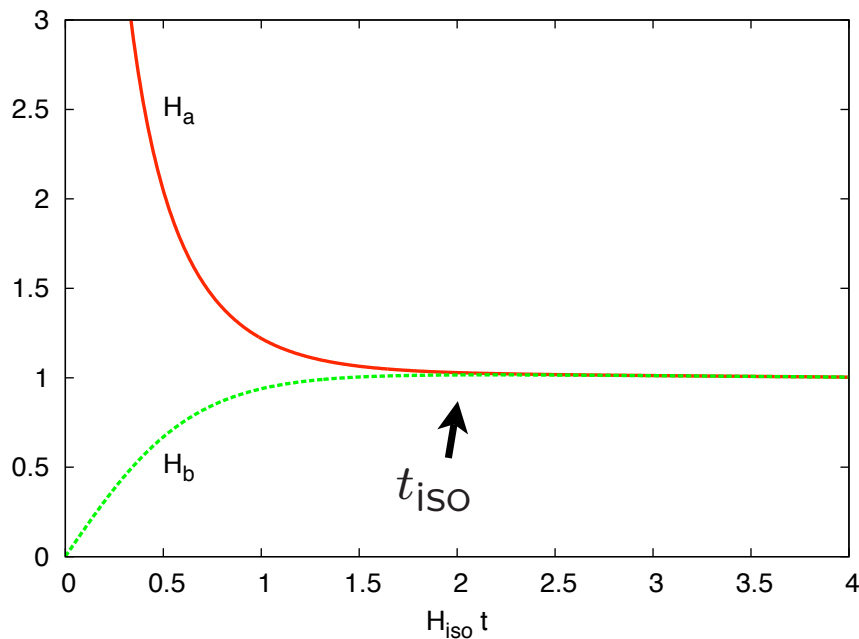
Axis of evil ! Land, Magueijo '05, '06

Primordial perturbations

$\delta g_{\mu\nu}$, $\delta\phi \longrightarrow$ CMB



Larger modes leave the horizon earlier (probe earlier inflation)



$$ds^2 = dt^2 - a(t)^2 dx^2 - b(t)^2 [dy^2 + dz^2]$$

$$H_a = \frac{\dot{a}}{a}, \quad H_b = \frac{\dot{b}}{b}$$

Very rapid isotropization

(one Hubble time, $t_{\text{iso}} \sim 10^{-38} \text{ s}$)

- Developed formalism for computing CMB anisotropies
- Initial singularity \rightarrow nonlinearities in perturbations

Gumrukcuoglu, Contaldi, Peloso '07

- Better background (anisotropy driven by a vector field)

Contaldi, Himmetoglu, MP, in progress

Open Problems

- What is the inflaton ?

Fundamental scalar

Brane-antibrane distance

Component gauge field in extra dim.

- What is the maximal T reached at reheating ?

Fast / slow decay ?

Fast / slow thermalization ?

Can produce only particles with $m < T$

- How was the universe before inflation ?

Inflation erases informations

Maybe some signal left in CMB

Anomalies at large scales ?